

IMPLEMENTATION OF CONTINGENCY TABLES FOR THE EVALUATION OF ICT IN BOTH ENVIRONMENTS OF UNIVERSITIES IN TETOVO

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ABSTRACT

The paper describes a wide survey of the application of statistical model especially of log-linear models in the analysis of contingency tables with two entrances, which is based on the close connection multinomial distributions and Poissons on the use of Information and Communication Technologies (ICT), especially in the using computer and internet web for diplomic and post diplomic student of two universities in Tetovo (State University of Tetovo (SUT) and South East European University in Tetovo). A contingency tables summarizes the conditional frequencies of two variables, and shows how these variables depend on each other. So a contingency table can be seen as a link between the two variables according to the information data (Andersen EB, 1990; Agresti, 1996). The results of contingency tables may be described by diagram (diagram with colons). The situation is studied to have a local and regional view of computer and Internet use by students for their needs. It also presents the results of a study of a survey made by the students of the State University of Tetovo (SUT) and the South East European University in Tetovo, which try to measure the level of computer and Internet use and independence in this environment for students with application of statistical models in analysis of contingency tables. Surveys conducted during June-November 2010 and during November-December 2011, show that the spread and use of new technologies featured several times between environments conditions where they study, faculties, study programs, generation and economic development country.

Keywords: ICT, contingency tables, data interpretation, digital local development, economic development.

1. INTRODUCTION

This paper deals with the analysis of categorical data, contingency tables and statistical models to examine their particular model in chi-square test and log models-linear contingency tables with two entrances, which are based on the close relationship of distribution multinomial. The models are described, and on them were applied to data obtained from surveys conducted during June-November 2010 over November and December of 2011 with students of two universities in Tetovo. These surveys have to do with information about the performance by the Information Technologies and Communications (ICT). Contingency tables with two entrances handle the relationship between two attributes (variables) according to their frequency, the results of which can be presented graphically in the form of a bar graph. Also showing statistical independence conditions for 2×2 contingency tables, the tables $2 \times n$. Results expand contingency tables with many entries and discuss statistical independence of the matrices groupy.

2. CONTINGENCY TABLES WITH TWO ENTERANCE. APPLICATION

A 2-entry table or a table of random two-way hash values observed simultaneously provides both statistical categorical variables (qualitative, quantitative), [3]. Let $(x_1, y_1), \dots, (x_2, y_2)$ data for both qualitative variables X and Y respectively. A simple description of the couple (X, Y) is the presentation of values x_i and y_j in the form of a 2-input table called a contingency table with 2-entrances. Let p_1, \dots, p_k be modalities of variable X , and q_1, \dots, q_r be modalities of variable Y . Then matrix M of order $k \times r$, that as frequency elements x_{ij} , where x_{ij} the number of individuals who have values respectively p_i and q_j , $i=1, \dots, k$, $j=1, \dots, r$ is a contingency table of variables X and Y , [5]. Form of a contingency table is:

$Y \backslash X$	$q_1 \dots q_j \dots q_r$	sum
P_1	$x_{11} \dots x_{1j} \dots x_{1r}$	$x_{1.}$
P_i	$x_{i1} \dots x_{ij} \dots x_{ir}$	$x_{i.}$
P_k	$x_{k1} \dots x_{kj} \dots x_{kr}$	$x_{k.}$
sum	$x_{.1} \dots x_{.j} \dots x_{.r}$	n

Members x_i and y_j can be calculated with the equations:

$$x_i = \sum_{j=1}^r x_{ij}, \quad x_j = \sum_{i=1}^k x_{ij} \quad \text{and} \quad x_i y_j \text{ are called specific effective and } n = \sum_{i=1}^k x_{i.} = \sum_{j=1}^r x_{.j}.$$

APPLICATION 1 In the year 2010 became a 1382 students survey interviewed for internet connection in the environment and student University study [8], [6]. From this research report we give a table which presents: Group of students and link to the Internet in their study environments. Here is a brief description of the groups: Group I-SUT (Students of the University of Tetovo), Group II University (Students of the University of Eastern Europe).

TABLE 1.1 Classifications show two entries under two variables: frequency of Internet connectivity in their facilities and group student students, 1382 students for over 18 years.

TABLE 1.1 Frequency of Internet connectivity in the study environment.

Internet Connection Student group	Every day	One to two times	Rarely	Never	No answer	sum
Group I-SUT	266	200	170	62	28	726
Group II-SEEU	304	124	150	49	29	656
Sum	570	324	320	111	57	1382

Source: Data from the survey conducted in June 2010

TABLE 1.2 Percentage according to data rows in table 1. Frequency of Internet connectivity in the study Environment.

Internet Connection Student group	Every day	One to two times a week	Rarely	Never	No answer	Sum
Group I-SUT	36.64	27.55	23.42	8.54	3.85	100
Group II-SEEU	46.34	18.90	22.87	7.47	4.42	100
Sum	41.24	23.44	23.16	8.04	4.12	100

Source: Data from the survey conducted in June 2010

TABLE 1.3 Percentage according to data columns of Table 1. Frequency of Internet connectivity in the study environment.

Internet Connection Student group	Every day	One to two times a week	Rarely	Never	No answer	Sum
Group I-SUT	46.67	61.73	53.13	55.86	49.12	52.53
Group II-SEEU	53.33	38.27	46.87	44.14	50.88	47.47

Sum	100	100	100	100	100	100
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Source: Data from the survey conducted in June 2010

Results of the contingency table can be displayed graphically in the form of a bar graph with, deciding on one of the axes or one of the variables X or Y axis and on the other the other variable remains. In couples cutting point values (p_i , q_j) raised the bar height of n_{ij} or respective percentage. Figures below show graphs of the results of table columns to the table 1.1.2 and 1.1.3 [7].

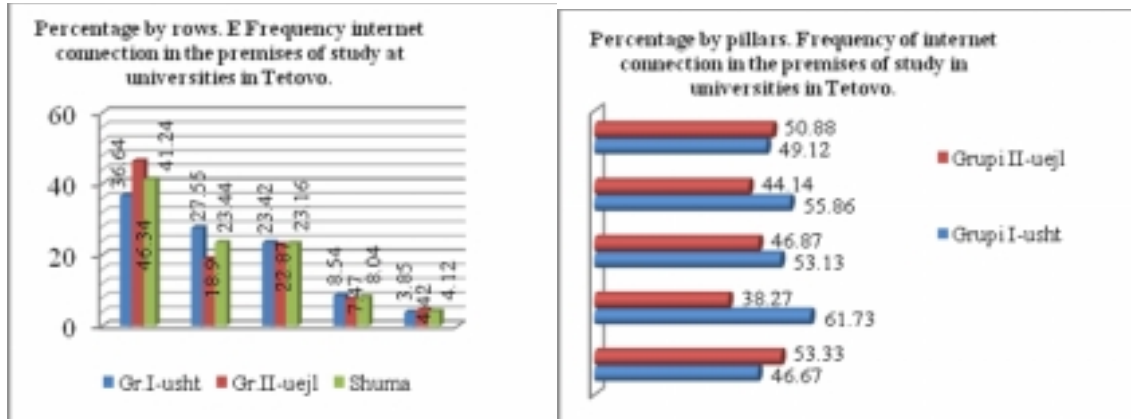


Figure 1.1 Diagram of bats for the result table 1.2

Figure 1.2 Diagram of bats for the result table 1.3

2MODEELHI-SQUARETEST(INDEPENDENCE)

The main hypothesis between two qualitative variables is whether they are independent. Results are used for quantitative variables. Let X and Y be two qualitative variables. We suppose that the modalities of variable X are p_1, \dots, p_k and modalities of variable Y are q_1, \dots, q_r . By definition, X and Y are independent if:

$$P(x = k, Y = r) = P(X = k) \cdot P(Y = r) \quad (2.1)$$

for each pair of values k and r , of X and Y, respectively [5]. To check the hypothesis:

H_0 : X and Y are independent against **H_1 : X and Y are not independent**

will use chi-square test marked with a symbol χ^2 . Since:

$$P(X = k, Y = r) = \frac{x_{ij}}{n} \quad P(X = k) = \frac{x_{i.}}{n} \quad P(Y = r) = \frac{x_{.j}}{n} \quad (2.2)$$

then X and Y are independent if we have:

$$\frac{n_{ij}}{n} = \frac{n_{i.}}{n} \cdot \frac{n_{.j}}{n} \quad (2.3)$$

Statistics of the test will be:

$$t^2 = \sum_{i=1}^k \sum_{j=1}^m \frac{(n_{ij} - m_{ij})^2}{m_{ij}} \quad (2.4)$$

where, m_{ij} - is an estimate of the expected frequency in cell ij and n - is the total number of observed values.

If X and Y are independent, then χ^2 has a chi-square distribution with $(k-1)(r-1)$ degree of freedom. Hypothesis H_0 not accepted for large values of the test χ^2 and conversely it is accepted for small values of the test χ^2 . In statistical software performed all actions for finding the value of the coefficient χ^2 [3]. In the test statistic (2.4) goal is to compare the observed values with the expected frequencies, taking into account the independence, and to do so by χ^2 .

- If χ^2 it's great we have reason to believe that the independence hypothesis is not true.
- If χ^2 is small or has a moderate value, we would conclude that the attempt is actually independent.

Following this application let's look to see why a comparison between x_{ij} and m_{ij} is so important.

APPLICATION 2 (Independence between variables). Frequency of reception internet connections at home and student groups clearly show that there is a difference between the frequency with which people in the group I and group II persons performing Internet connections at home. This case is illustrated in Table 2.1, where the reception frequencies are calculated.

TABLE 2.1 Frequency of internet connection at home. Frequency of waiting for internet connection at home.

Internet Connection \ Student group	Every day	One tot woti mes	Rarely	Never	No answer	Sum
Group I-SUT	430 (409.75)	125 (123.45)	91 (97.18)	50 (65.15)	30 (13.47)	726
Group II-SEEU	350 (356.02)	110 (111.55)	94 (75.73)	74 (58.07)	28 (27.53)	656
Sum	780	235	185	124	58	1382

Source: Data from the survey conducted in June of 2010.

Calculating the value of chi-square statistics, found that:

$$t^2 = \sum_{i=1}^k \sum_{j=1}^m \frac{(n_{ij} - m_{ij})^2}{m_{ij}} = \frac{(430 - 409.35)^2}{409.35} + \dots + \frac{(350 - 356.12)^2}{356.12} + \dots = 34.21$$

It seems clear that the frequency of internet connection varies according to groups of students. Students in Group II are less likely to have internet connection at home than students in Group I, [8], [9]. The observed value of χ^2 is 34.21 that is a very large number. Percentage of 95 % in a distribution χ^2 with 5 free degree is 11.07, so value of χ^2 that we observed is very difficult to be fall therefore be rejected hypothesis of independence at home internet connection to be independent from Groups I and II students.

APPLICATION 3 Respondent to record their question was made for the device with a computer at home and gender. 1382 respondents classified according to two criteria: the home computer device with three modes: 1-Yes, 2-No: 3-No response and Gender in two modes: 1-Female: 2-Man. The results summarized in the form of a contingency table, produced with SPSS program for variables, [10], with the home computer device and groups are:

TABLE 3.1 The device with the home computer. Frequencies of waiting home computer.

Device with home computer Groups I, II	yes	no	No answer	Sum
SUT	407 29.45	282 20.40	37 2.68	726 52.53
SEEU	425 30.75	196 14.18	35 2.53	656 47.47
Sum	832 60.20	478 34.59	72 5.21	1382 100.00

Source: Data from the survey conducted in 2011 larger state-owned.

Here, the table, the percentages are calculated as a percentage of the total. But it is possible to calculate the percentages by rows or by columns. The results of this table is presented graphically as follows, [6], [8]

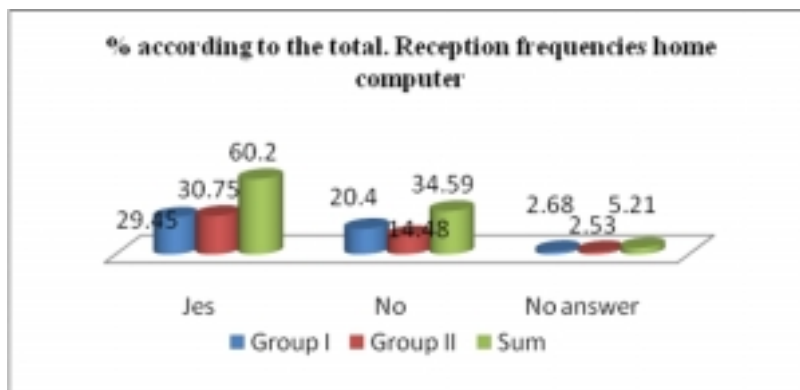


Figure 3.1 Diagram of bars for the result table 3.1

From Table 3.1, these values yield calculations:

$$t^2 = \sum_{i=1}^k \sum_{j=1}^m \frac{(n_{ij} - m_{ij})^2}{m_{ij}} = \frac{(407 - 29.45)^2}{29.45} + \frac{(282 - 20.40)^2}{20.40} + \dots + \frac{(35 - 2.53)^2}{2.53} = \dots = 16.67 \cdot$$

With the chi-square value is greater in this case, we conclude that the attempt is in fact no independence, then the hypothesis H_0 is rejected. Statistical decision taken in this way. If the observed value of chi-square is such that $\chi^2 > \chi^2(k)$, then the null hypothesis is rejected. Otherwise it is accepted. Since $\chi^2_{0,05}(2) = 5.99$ and it is smaller than the observed value that is 16,67, then it does not accept the null hypothesis that the home computer device to be independent from Groups I and II of universities.

3. RESULTS AND DISCUSSIONS

- From Table 2.1, the frequency seems clear that Internet connectivity varies according to groups of students. Students in Group II are less likely to have internet connection at home than students in group I. The observed value of χ^2 is 34.21 which is a big number. Percentage 95 % in a distribution χ^2 with 5 freedom degree is 11.07, so value of χ^2 that we observed is very difficult to be fall therefore be rejected hypothesis of independence at home internet connection to be independent from Groups I and II of students.
- From figure 3.1 we see that:
60,20% of The students are provided with computer
30,75% of the group II are provided with computer
29,45% % of the group I are provided with computer
2.53% of the group II are not equipped with computers versus 2.68% in group I are not equipped with computers.
- The calculations in Table 3.1 give these values. With the chi-square value is greater in this case, there is no independence, H_0 hypothesis is rejected then accepted. Statistical decision is taken in this way. If the observed value of chi-square is such that $\chi^2 > \chi^2(k)$, then the null hypothesis is rejected. Otherwise it is accepted. Since $\chi^2_{0,05}(2) = 5.99$ and it is smaller than the observed value is 16.67, then the null hypothesis is rejected by home computer device to be independent from Groups I, II.

4. CONCLUSIONS

On the application of log-linear models for contingency tables can draw the following conclusions:

- Contingency tables interpreted in terms of the relationship between two variables as frequency and statistical independence
- The main hypothesis between two variables is whether they are independent. To check this use chi-square test. The hypothesis is rejected for large values and vice versa as admitted to small values.
a) Table 2.1 shows that the frequency of reception internet connection at home and student groups shows no difference between the frequency with which people in the group I and group II persons performing internet connection at home. Group II students have less internet connection at home than students in Group I.

b) that the observed value of chi-square is 34.21 and it is greater than the value of chi-square with 5 degrees of freedom with significance level of 0.05 is 11.07, then rejected the hypothesis of independence, the Internet connection has to be independent from groups I and II students.

c) Table 3.1 shows that the hypothesis of independence with home computer device and groups I, II is not recognized as the observed value of chi-square is 16.67 which is greater than 5.99 which is the value of chi-square with two degrees of significance level of discretion and 0.05.

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